## Three-Dimensional 3D Figures

Solid: A three-dimensional figure that encloses a $\qquad$ .

Ex. A box of cereal is a solid.
Polyhedron: A solid whose $\qquad$ are all polygons.

Ex. A pyramid is a polyhedron because all of its faces are polygons.
Face: A $\qquad$ surface of a polyhedron.


Ex. The front of a house could be a face of a polyhedron.
Edge: A $\qquad$ segment where two $\qquad$ intersect.

Ex. The perimeter of each face makes the edges to any polyhedron.
Vertex: A $\qquad$ where three or more $\qquad$
intersect.


Ex. The sharp corners of any box are examples of the vertex.

| Prism: A polyhedron that has two _____ faces are always parallelograms. <br> Draw a picture |
| :--- |
| Pyramid: A polyhedron that has the lateral faces are always |
| Draw a picture |

Together Examples: Draw the front, side, and top view of each stack of cubes. Then find the number of cubes in the stack.
Tip: Dot paper can help you draw three-dimensional figures, or solids.


Front-

Side-

Top-
\# of Cubes-
2.


Front-

Side-

Top-
\# of Cubes-

Pause and Try: Draw the front, side, and top view of each stack of cubes. Then find the number of cubes in the stack.
Tip: Dot paper can help you draw three-dimensional figures, or solids.


Front-

## Side-

Top-
\# of Cubes-
4.


Front-

Side-

Top-
\# of Cubes-

## Surface Area SA of Prisms

Surface Area: The $\qquad$ of a solid is the $\qquad$ of all the areas of all of its $\qquad$ .

Net: A two-dimensional representation of a $\qquad$ . You can use a net to find the $\qquad$ of a solid.

Find the area of all of the faces and add them all together.
Together Examples: Draw a net of each prism, and then find the area of each prism.
1.

2.


Pause and Try: Draw a net of each prism, and then find the area of each prism.
3.

4.


## Surface Area SA of Pyramids

Label one of the faces as a BASE and the other as a LATERAL FACE. Use the shape of the base to identify the pyramid.
a.

b.

Pyramid

## Pyramid

Hint: ALL the $\qquad$ of a pyramid are $!$


## Volume of Rectangular Prisms

Volume:


Hint: Volume is always $\qquad$ - Example:


